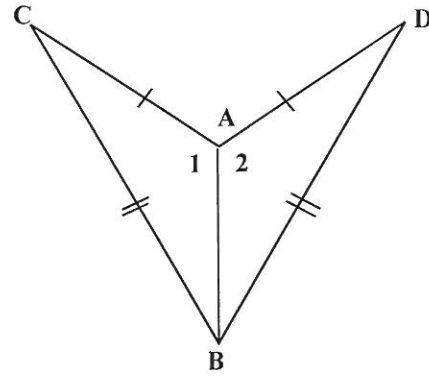


(1) Prove that: $\triangle ABC \equiv \triangle ABD$



In $\triangle ABC$ and $\triangle ABD$:

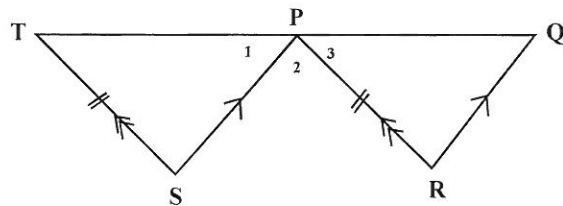
* $AB = AB$ [common side]

* $AC = AD$ [given]

* $BC = BD$ ["]

$\therefore \triangle ABC \equiv \triangle ABD$ [SSS]

(2) Prove that: $\triangle TSP \equiv \triangle PQR$



In $\triangle TSP$ and $\triangle PQR$:

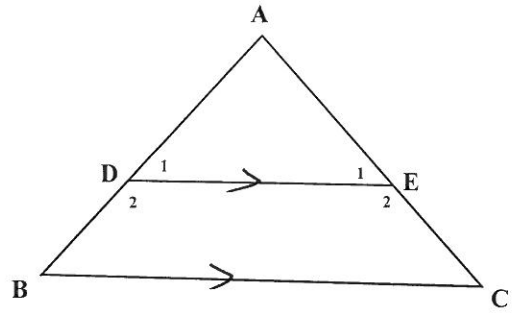
* $TS = PR$ [given]

* $\hat{T} = \hat{P}_3$ [corresp. $\angle$ s; $TS \parallel PR$]

* $\hat{P}_1 = \hat{Q}$ [" ; $PS \parallel QR$]

$\therefore \triangle TSP \equiv \triangle PQR$ [SLL]

- (3) $DE \parallel BC$. Prove that: (a) $\triangle ABC \sim \triangle ADE$
 (b) $AB \cdot DE = AD \cdot BC$



(a) In $\triangle ABC$ and $\triangle ADE$:

* $\hat{A} = \hat{A}$ [common $\angle$]

* $\hat{B} = \hat{D}$, [corresp. $\angle$ s; $DE \parallel BC$]

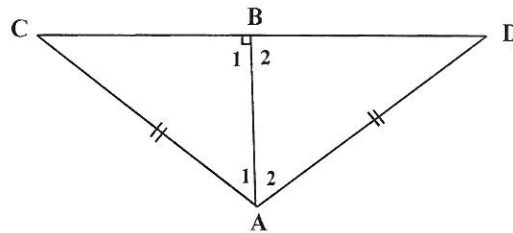
* $\hat{C} = \hat{E}$, ["]

$\therefore \triangle ABC \sim \triangle ADE$ [LLL]

(b) $\frac{AB}{AD} = \frac{BC}{DE}$ [$\triangle ABC \sim \triangle ADE$]

$\therefore AB \cdot DE = AD \cdot BC$

- (4) Prove that: $\triangle ABC \equiv \triangle ABD$



In $\triangle ABC$ and $\triangle ABD$:

* $\hat{B}_1 = \hat{B}_2$ [both 90°]

* $AB = AB$ [common side]

* $AC = AD$ [given]

$\therefore \triangle ABC \equiv \triangle ABD$ [90° ; h; s]