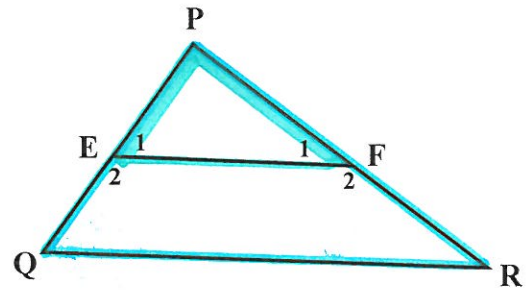


- (1) $FE \parallel QR$. Prove that: (a) $\triangle PEF \parallel \triangle PQR$
 (b) $PE \cdot PR = PQ \cdot PF$



(a) In $\triangle PEF$ and $\triangle PQR$:

$$* \hat{P} = \hat{P} \quad [\text{common } \angle]$$

$$* \hat{E} = \hat{Q} \quad [\text{corresp. } \angle ; EF \parallel QR]$$

$$* \hat{F} = \hat{R} \quad [\text{ " }]$$

$$\therefore \triangle PEF \parallel \triangle PQR \quad [LLL]$$

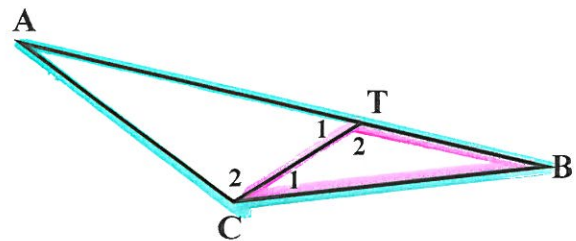
$$(b) \quad \frac{PE}{PQ} = \frac{EF}{QR} = \frac{PF}{PR} \quad [\triangle PEF \parallel \triangle PQR]$$

$$\therefore PE \cdot PR = PF \cdot PQ$$

- (2) $\hat{T}_2 = \hat{C}$ and $AC = BC$.

Prove that: (a) $\triangle ABC \parallel \triangle BCT$

$$(b) BC^2 = AB \cdot CT$$



(a) In $\triangle ABC$ and $\triangle BCT$:

$$* \hat{C} = \hat{T}_2 \quad [\text{given}]$$

$$* \hat{A} = \hat{B} \quad [\angle^s \text{ opp. equal sides}]$$

$$* \hat{B} = \hat{C}_1 \quad [\text{int. } \angle^s \text{ of } \triangle]$$

$$\therefore \triangle CAB \parallel \triangle TBC \quad [LLL]$$

$$(b) \quad \frac{CA}{TB} = \frac{AB}{BC} = \frac{CB}{TC} \quad [\triangle CAB \parallel \triangle TBC]$$

$$\therefore AB \cdot TC = CB \cdot BC$$

$$\therefore BC^2 = AB \cdot CT$$